

SOLUTION OF TRIANGLES

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- If $\cos A + \cos B + 2\cos C = 2$ then the sides of the ΔABC are in
(A) A.P. (B) G.P. (C) H.P. (D) none
- If in a triangle $\sin A : \sin C = \sin(A - B) : \sin(B - C)$ then $a^2 : b^2 : c^2$
(A) are in A.P. (B) are in G.P. (C) are in H.P. (D) none of these
- In a triangle ABC, $a : b : c = 4 : 5 : 6$. Then $3A + B =$
(A) $4C$ (B) 2π (C) $\pi - C$ (D) π
- In a triangle ABC the relation $\frac{a}{13} = \frac{b}{7} = \frac{c}{15}$ holds good. Which of the following option(s) is/are correct ?
(A) The triangle is acute (B) The triangle is obtuse
(C) $\tan C = 5$ (D) The angles A, B, C (in some order) are in A.P.
- The sides of a ΔABC satisfy the equation, $2a^2 + 4b^2 + c^2 = 4ab + 2ac$. Then
(A) the triangle is isosceles. (B) the triangle is obtuse.
(C) $B = \cos^{-1} \frac{7}{8}$ (D) $A = \cos^{-1} \frac{1}{4}$
- With usual notation in a ΔABC , $b^2 \sin 2C + c^2 \sin 2B$ equals
(A) $\frac{abc}{R}$ (B) $\frac{2abc}{R}$ (C) $\frac{abc}{2R}$ (D) $2bc \sin A$
- Let ABC be a triangle such that $\angle ACB = \frac{\pi}{6}$ and let a, b and c denote the lengths of the sides opposite to A, B and C respectively. The value(s) of x for which $a = x^2 + x + 1$, $b = x^2 - 1$ and $c = 2x + 1$ is (are)
(A) $-(2 + \sqrt{3})$ (B) $1 + \sqrt{3}$ (C) $2 + \sqrt{3}$ (D) $4\sqrt{3}$
- If a, b, c are the sides of a triangle ABC then $\sqrt{a} + \sqrt{b} - \sqrt{c}$ is always
(A) negative (B) positive (C) non-negative (D) non-positive
- If sides of triangle ABC are a, b and c such that $2b = a + c$ then exhaustive range of $\frac{b}{c}$ is
(A) $\left(\frac{1}{3}, \frac{2}{3}\right)$ (B) $\left(\frac{1}{3}, 2\right)$ (C) $\left(\frac{2}{3}, 2\right)$ (D) $\left(\frac{3}{2}, 2\right)$
- If the angles A, B and C of a triangle are in an arithmetic progression and if a, b and c denote the lengths of the sides opposite to A, B and C respectively, then the value of the expression $\frac{a}{c} \sin 2C + \frac{c}{a} \sin 2A$ is
(A) $\frac{1}{2}$ (B) $\frac{\sqrt{3}}{2}$ (C) 1 (D) $\sqrt{3}$
- In a triangle ABC if $\sin A = \sin^2 B$ and $2 \cos^2 A = 3 \cos^2 B$ then prove that the triangle is obtuse angled.
- Prove that a triangle ABC is possible satisfying $(a + b)^2 = c^2 + ab$ and $\sin A + \sin B + \sin C = 1 + \frac{\sqrt{3}}{2}$.

ANSWERS

1. A 2. A 3. D 4. BD 5. ACD 6. AD 7. B 8. B 9. C 10. D

- In a $\triangle ABC$ if $b + c = 3a$ then $\cot \frac{B}{2} \cdot \cot \frac{C}{2}$ has the value equal to :
(A) 4 (B) 3 (C) 2 (D) 1
- With the usual notation in any $\triangle ABC$,
(A) $\frac{a+b+c}{\sin A + \sin B + \sin C} = \frac{1}{2R}$
(B) $\frac{\cos A}{\sqrt{4R^2 - a^2}} = \frac{\cos B}{\sqrt{4R^2 - b^2}} = \frac{\cos C}{\sqrt{4R^2 - c^2}}$
(C) $\frac{a \sec A + b \sec B + c \sec C}{\tan A \tan B \tan C} = 2R$
(D) $\Delta = \sqrt{s(s+a)(s+b)(s+c)}$
- In $\triangle ABC$, if $\cos A + \cos B = 4 \sin^2 \frac{C}{2}$, then which of the following hold(s) good?
(A) $\cot \frac{A}{2} \cot \frac{B}{2} = 2$ (B) $\cot \frac{A}{2} \cot \frac{B}{2} = 3$ (C) a, c, b are in A.P. (D) a, b, c are in G.P.
- The base BC of $\triangle ABC$ is fixed and the vertex A moves, satisfying the condition $\cot \frac{B}{2} + \cot \frac{C}{2} = 2 \cot \frac{A}{2}$, then
(A) $b + c = a$ (B) $b + c = 2a$
(C) vertex A moves on a straight line (D) vertex A moves on an ellipse
- In a triangle ABC, let $a = 6$, $b = 3$ and $\cos(A - B) = \frac{4}{5}$.
Assertion (A): $\angle B = \frac{\pi}{2}$ Reason (R): $\sin A = \frac{2}{\sqrt{5}}$.
- | Column I | Column II |
|---|----------------|
| (A) In a scalene triangle ABC, if $a \cos A = b \cos B$ then $\angle C$ equals | (P) 30° |
| (B) In a triangle ABC, BC = 1 and AC = 2. The maximum possible value which the $\angle A$ can have is | (Q) 45° |
| (C) In a $\triangle ABC$ $\angle B = 75^\circ$ and $BC = 2AD$ where AD is the altitude from A, then $\angle C$ equals | (R) 60° |
| | (S) 90° |
- In any $\triangle ABC$, prove that $\sum \frac{\cos A}{c \cos B + b \cos C} = \frac{a^2 + b^2 + c^2}{2abc}$.
- In any $\triangle ABC$, prove that $\frac{(a+b+c)^2}{a^2 + b^2 + c^2} = \frac{\cot \frac{A}{2} + \cot \frac{B}{2} + \cot \frac{C}{2}}{\cot A + \cot B + \cot C}$.
- In a triangle ABC if $(a + b + c)(b + c - a) = \lambda bc$ then prove that $0 < \lambda < 4$.
- In triangle ABC, if $b \sin C (b \cos C + c \cos B) = 42$, then find the area of the triangle ABC.
- Prove that $\{\cot(A/2) + \cot(B/2)\} \{a \sin^2(B/2) + b \sin^2(A/2)\} = c \cot(C/2)$.

ANSWERS

1. C 2. C 3. BC 4. BD 5. D 6. (A)–S; (B)–P; (C)–P 10. 21

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- Area of a triangle inscribed in a circle of radius 4, if the measures of its angles are in the ratio 5: 4: 3 is
 (A) $4(\sqrt{3} - \sqrt{2})$ (B) $4(\sqrt{3} + \sqrt{2})$ (C) $4(3 - \sqrt{3})$ (D) $4(3 + \sqrt{3})$
- ΔABC is isosceles with $AB = AC$ and $\angle CAB = 106^\circ$. Point M is the interior of the triangle so that $\angle MBA = 7^\circ$ and $\angle MAB = 23^\circ$. The number of degrees in $\angle AMC$ is equal to
 (A) 87° (B) 67° (C) 74° (D) 83°
- In ΔABC , the ratio $\frac{a}{\sin A} = \frac{b}{\sin B} = \frac{c}{\sin C}$ is not always equal to
 (A) $2R$, where R is the circumradius (B) $\frac{abc}{2\Delta}$, where Δ is the area of the triangle
 (C) $\frac{2}{3}(a^2 + b^2 + c^2)^{1/2}$ (D) $\frac{(abc)^{2/3}}{(h_1 h_2 h_3)^{1/3}}$
- If in a triangle ABC angle B = 90° then $\tan^2 A/2$ is :
 (A) $\frac{b-c}{a}$ (B) $\frac{b-c}{b+c}$ (C) $\frac{b+c}{b-c}$ (D) None
- In triangle ABC the expansion $\frac{1}{4a^2b^2} (a+b+c)(b+c-a)(c+a-b)(a+b-c)$ is equal to
 (A) $2 \sin^2 C$ (B) $4 \sin^2 C$ (C) $\sin^2 C$ (D) $\sin C \cdot \cos C$
- If l, m, n are the perpendiculars from the angular points of ΔABC upon the opposite sides a, b, c respectively then, $\frac{bl}{c} + \frac{cm}{a} + \frac{an}{b}$ is equal to
 (A) $\frac{a^2 + b^2 + c^2}{2R}$ (B) $\frac{ab+bc+ca}{R}$ (C) $\frac{(a+b+c)^2}{4R}$ (D) $4R(1 + \cos A \cos B \cos C)$
- If the median of a triangle ABC through A is perpendicular to BC then $\frac{\tan A}{\tan B}$ has the value equal to
 (A) $1/2$ (B) 2 (C) - 2 (D) - $1/2$
- The base angle of a Δ are 22.5° and 112.5° . The ratio of the base to the height of the triangle is
 (A) $\sqrt{2}$ (B) 2 (C) $(2\sqrt{2}-1)$ (D) $\sqrt{2}+1$
- If a, b, c the sides of a triangle ABC be 5, 4, 3 respectively and D, E are the points of trisection of side BC, then prove that $\tan \angle CAE = 3/8$.
- Let a, b, c be the sides of a triangle & Δ its area. Prove that $a^2 + b^2 + c^2 \geq 4\sqrt{3} \Delta$. When does the equality hold ?
- In a ΔABC , let angles A, B, C are in G.P. with common ratio 2. If circum radius of ΔABC is 2 then find the value $(b^{-1} + c^{-1} - a^{-1})$.

ANSWERS

1. D 2. D 3. C 4. B 5. C 6. A 7. 8. B 11. 0

- The product of the arithmetic mean of the lengths of the sides of a triangle and harmonic mean of the lengths of the altitudes of the triangle is equal to :
 (A) Δ (B) 2Δ (C) 3Δ (D) 4Δ
- In triangle ABC, AA_1 and AA_2 are the medians and altitudes respectively. Length A_1A_2 is equal to-
 (A) $\frac{|a^2 - c^2|}{2b}$ (B) $\frac{|a^2 - b^2|}{2c}$ (C) $\frac{|b^2 - c^2|}{2a}$ (D) None of these
- In a triangle ABC, CH and CM are the lengths of the altitude and median to the base AB. If $a = 10$, $b = 26$, $c = 32$ then length (HM)
 (A) 5 (B) 7 (C) 9 (D) none

Comprehension

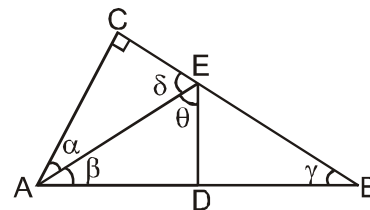
Consider a triangle ABC with $b = 3$. Altitude from the vertex B meets the opposite side in D, which divides AC internally in the ratio 1 : 2. A circle of radius 2 passes through the point A and D and touches the circumcircle of the triangle BCD at D.

- If E is the centre of the circle with radius 2 then angle EDA equals
 (A) $\sin^{-1}\left(\frac{\sqrt{15}}{4}\right)$ (B) $\sin^{-1}\left(\frac{3}{4}\right)$ (C) $\sin^{-1}\left(\frac{1}{4}\right)$ (D) $\sin^{-1}\left(\frac{15}{16}\right)$
- If F is the circumcentre of the triangle BDC then which one of the following does not hold good ?
 (A) $\angle FCD = \sin^{-1}\left(\frac{\sqrt{15}}{4}\right)$ (B) $\angle FDC = \cos^{-1}\left(\frac{1}{4}\right)$
 (C) triangle DFC is an isosceles triangle (D) Area of $\triangle ADE = (1/4)^{\text{th}}$ of the area of $\triangle DBC$
- If R is the circumradius of the $\triangle ABC$, then R equal
 (A) 4 (B) 6 (C) $2\left(\sqrt{\frac{61}{15}}\right)$ (D) $4\left(\sqrt{\frac{61}{15}}\right)$

Comprehension

In the figure below, it is given that $\angle C = 90^\circ$, $AD = DB$, ED is perpendicular to AB, $AB = 20$ units and $AC = 12$ units.

- Area of triangle AEC is
 (A) 24 sq. units (B) 21 sq. units
 (C) 42 sq. units (D) $\frac{21}{2}$ sq. units
- The value of $\tan(\delta + \beta)$ is
 (A) $-\frac{177}{44}$ (B) $\frac{17}{4}$ (C) $\frac{3}{4}$ (D) $\frac{5}{4}$
- The value of $\cos(\alpha + \beta)$ is
 (A) $\frac{4}{5}$ (B) $\frac{3}{5}$ (C) $\frac{117}{125}$ (D) $-\frac{44}{125}$



ANSWERS

1. B 2. C 3. C 4. A 5. D 6. C 7. B 8. A 9. B

1. In $\triangle ABC$, if $\tan A$ and $\tan B$ are the roots of the equation $ab(x^2 + 1) = c^2 x$, then which of the following hold(s) good?

(A) $\sin^3 C + \cot^3 C = 1$ (B) $\cos^2 A + \cos^2 B = 1$ (C) $\tan(A - B) = \frac{a^2 - b^2}{2ab}$ (D) $R + r = \frac{a+b}{2}$

2. **Assertion (A):** Suppose ABC is a triangle such that $AB = 13$, $BC = 15$ and $CA = 14$. D is the midpoint of BC, E is the midpoint of AD, F is the midpoint of BE, and G is the midpoint of DF. Then the area of triangle EFG is $21/4$.

Reason (R): $\triangle EFG = \frac{1}{2} \triangle DEF = \frac{1}{4} \triangle BDE = \frac{1}{8} \triangle ABD = \frac{1}{16} \triangle ABC$.

3. A triangle is inscribed in a circle of radius R. The length of the sides of the triangle are 7, 8 and 9 units, **Assertion (A):** The radius R has an irrational value.
Reason (R): Area of the triangle has an irrational value.

Comprehension

In a triangle ABC, let $\tan A = 1$, $\tan B = 2$, $\tan C = 3$ and $c = 3$.

4. Area of the triangle ABC is equal to

(A) $\frac{3\sqrt{2}}{2}$ (B) 3 (C) $2\sqrt{3}$ (D) $3\sqrt{2}$

5. The radius of the circle circumscribing the triangle ABC, is equal to

(A) $\frac{\sqrt{10}}{2}$ (B) $\sqrt{5}$ (C) $\sqrt{10}$ (D) $\frac{\sqrt{5}}{2}$

6. Let Δ denote the area of the triangle ABC and Δ_p be the area of its pedal triangle. If $\Delta = k \Delta_p$ then k is equal to

(A) $\sqrt{10}$ (B) $2\sqrt{5}$ (C) 5 (D) $2\sqrt{10}$

7. **Column - I**

(A) In a $\triangle ABC$ if $3R = 4r$ then the value of $4(\cos A + \cos B + \cos C)$ is equal to

(B) A triangle has sides of lengths 1, 2 and $\sqrt{7}$. If the length of the internal angle bisector drawn from the vertex opposite to the side length $\sqrt{7}$

can be expressed as rational in the lowest form $\frac{m}{n}$

then the value of $(m + n)$, is

(C) Let H be the orthocentre of the triangle ABC. If $(AH)^2 + (BH)^2 + (CH)^2 + (AB)^2 + (BC)^2 + (CA)^2 = kR^2$ then k equals

(D) Consider a triangle ABC and let a, b and c denote the lengths of the sides opposite to the vertices A, B and C respectively. If a, b, c are the roots of $t^3 - 12t^2 + 47t = 60$,

then the value of $24\left(\frac{\cos A}{a} + \frac{\cos B}{b} + \frac{\cos C}{c}\right)$ is equal to

Column - II

(P) 5

(Q) 7

(R) 10

(S) 12

(T) 15

ANSWERS

1. ABCD 2. A 3. 4. B 5. A 6. C 7. (A)–Q, (B)–P, (C)–S, (D)–R

Class XI **Date : 18-09-12** **Batch : P** **Time : 60 Min.** **DPP.No. 42**

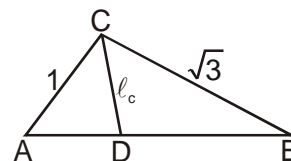
1. A circle is inscribed in a triangle ABC, right angled at C. The circle is tangent to the segment AB at D and the length of segments AD and DB are 7 and 13 respectively. Area of triangle ABC is equal to
 (A) 91 (B) 96 (C) 100 (D) 104

2. Let ABC be a right triangle with $\angle BAC = 90^\circ$ then $\left(\frac{r^2}{2R^2} + \frac{r}{R}\right)$ is equal to

(A) $\sin B \sin C$ (B) $\tan B \tan C$ (C) $\sec B \sec C$ (D) $\cot B \cot C$

3. A triangle ABC has sides AB of length 2 units, AC of length 1 unit and BC of length $\sqrt{3}$ unit. The angle bisector l_c intersects the side AB at the point D. The length AD is.

(A) $\sqrt{3} - 1$ (B) $\sqrt{3} + 1$
 (C) $\frac{2}{3}$ (D) $\sqrt{3}(\sqrt{3} - 1)$



4. In ΔABC , $2R + r = r_1$

Assertion (A): $\left(1 - \frac{r_1}{r_2}\right)\left(1 - \frac{r_1}{r_3}\right) = 2$

Reason (R): ΔABC is right angled at A.

5. **Assertion (A):** In ΔABC , if $r_1 = 2r_2 = 3r_3$ then $a : b : c = 5 : 4 : 3$

Reason (R): In ΔABC , if $xr_1 = yr_2 = zr_3 = (x + y + z)r$, then $a : b : c = y + z : x + z : x + y$.

6. With usual notations, in a ΔABC the value of $\Pi(r_1 - r)$ can be simplified as:

(A) $abc \Pi \tan \frac{A}{2}$ (B) $4rR^2$ (C) $\frac{(abc)^2}{R(abc)^2}$ (D) $4Rr^2$

7. In a ΔABC , a semicircle is inscribed whose diameter lies on the side c. If x is the length of the angle bisector through angle C then the radius of the semicircle is

(A) $\frac{abc}{4R^2(\sin A + \sin B)}$ (B) $\frac{\Delta}{x}$
 (C) $x \sin \frac{C}{2}$ (D) $\frac{2\sqrt{s(s-a)(s-b)(s-c)}}{s}$

8. In a ΔABC , if $r = 1$, $R = 3$, $s = 5$, then which of the following is/are correct?

(A) Area of ΔABC is 5. (B) Product of the sides of the ΔABC is 60.
 (C) $a^2 + b^2 + c^2 = 24$ (D) Sum of the ex-radii of ΔABC is 13

9. In ΔABC if $B = \pi/2$, $s - a = 3$; $s - c = 2$, then which of the following hold good?

(A) $r = 1$ (B) $\Delta = 12$ (C) $r_1 = 2$ (D) $R = 5/2$

10. Select the statement(s) which is/are true with respect to a triangle ABC, all symbols have their usual meaning.

(A) The inradius, circumradius and one of the exradii of an equilateral triangle are in the ratio of 1 : 2 : 3.

(B) $abc = \frac{1}{4} Rrs$ (C) If $r = 3$ then the value of $\frac{1}{r_1} + \frac{1}{r_2} + \frac{1}{r_3} = \frac{1}{3}$

(D) If the diameter of an excircle be equal to the perimeter of the triangle then the triangle is a right angle.

ANSWERS

1. A 2. A 3. A 4. A 5. A 6. ACD 7. AC 8. ABCD 9. ACD 10. ACD

- ABC is an acute angled triangle with circumcentre 'O' orthocentre H. If $AO = AH$ then the measure of the angle A is
 (A) $\frac{\pi}{6}$ (B) $\frac{\pi}{4}$ (C) $\frac{\pi}{3}$ (D) $\frac{5\pi}{12}$
- Let h_a, h_b, h_c are lengths of altitudes drawn from vertices A, B, C to sides BC CA and AB respectively. The minimum value of $\frac{a}{h_a} + \frac{b}{h_b} + \frac{c}{h_c}$ is equal to
 (A) $\sqrt{3}$ (B) $2\sqrt{3}$ (C) $3\sqrt{3}$ (D) $4\sqrt{3}$
- If the orthocentre of a ΔABC lies on its circumcircle then :
 (A) ΔABC is an obtuse angled triangle
 (B) ΔABC is an acute angled triangle
 (C) ΔABC could be an acute or obtuse angled triangle
 (D) ΔABC is such that $\prod \cos A$ vanishes where \prod denotes the continued product .
- If the data given to construct a triangle ABC is $a = 5, b = 7, \sin A = 3/4$, then it is possible to construct-
 (A) only one triangle (B) two triangles
 (C) infinitely many triangles (D) no triangles
- If two sides a, b and the angle A be such that two triangles are formed, then the sum of the two values of the third side is
 (A) $b^2 - a^2$ (B) $2b \cos A$ (C) $2b \sin A$ (D) $\frac{b-c}{b+c}$
- In an isosceles ΔABC if the altitudes intersect on the inscribed circle then the cosine of the vertical angle 'A' is :
 (A) $1/9$ (B) $1/3$ (C) $2/3$ (D) none
- | Column - I | Column - II |
|---|---------------------------|
| (A) If 'O' is the circumcentre of the ΔABC and R_1, R_2 and R_3 are the radii of the circumcircles of triangles OBC, OCA and OAB respectively then $\frac{a}{R_1} + \frac{b}{R_2} + \frac{c}{R_3}$ has the value equal to | (P) $\frac{r}{R}$ |
| (B) AD, BE and CF are the perpendiculars from the angular points of a ΔABC upon the opposite sides. The perimeters of the ΔDEF and ΔABC are in the ratio | (Q) $\frac{4\Delta}{R^2}$ |
| (C) If the incircle of the ΔABC touches its sides respectively at L, M and N and if x, y, z be the circumradii of the triangles MIN, NIL and LIM | (R) $\frac{R}{2r}$ |
| where I is the incentre then the value of $\frac{xyz}{r^3}$, is | (S) $\frac{\Delta}{4R^2}$ |

ANSWERS

1. C 2. B 3. D 4. D 5. B 6. A 7. (A)–Q, (B)–P, (C)–R

1. The area of the circle exceeds the area of regular polygon of n sides and of equal perimeter in the ratio of

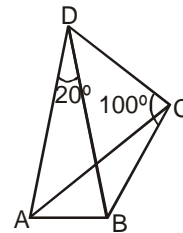
- (A) $\tan \frac{\pi}{n} : \frac{\pi}{n}$ (B) $\cos \frac{\pi}{n} : \frac{\pi}{n}$ (C) $\sin \frac{\pi}{n} : \frac{\pi}{n}$ (D) $\cot \frac{\pi}{n} : \frac{\pi}{n}$

2. If the number of sides of two regular polygons having the same perimeter be n and $2n$, prove that their areas are in the ratio $2 \cos \frac{\pi}{n} : \left(1 + \cos \frac{\pi}{n}\right)$.

3. The radius of the circle circumscribed about regular n -gon $A_1A_2 \dots A_n$ is equal to R . Prove that the sum of all sides and of all diagonal of n -gon is equal to $nR \cot \left(\frac{\pi}{2n}\right)$.

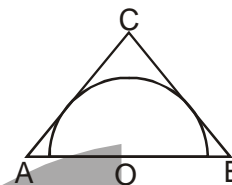
4. ABCD is a quadrilateral with an area of 1 and $\angle BCD = 100^\circ$, $\angle ADB = 20^\circ$, $AD = BD$ and $BC = DC$ as shown in the figure. The product $(AC) \times (BD)$ is equal to

- (A) $\frac{\sqrt{3}}{3}$ (B) $\frac{2\sqrt{3}}{3}$
 (C) $\sqrt{3}$ (D) $\frac{4\sqrt{3}}{3}$



5. In the figure, ΔABC is a right triangle at C . A semicircle with centre O is tangent to the side AC and BC . If the area of the triangle is Δ , then the radius of the semicircle is

- (A) $\frac{2\Delta}{\sqrt{c^2 + 2\Delta}}$ (B) $\frac{\Delta}{\sqrt{c^2 + 2\Delta}}$
 (C) $\frac{2\Delta}{\sqrt{c^2 + 4\Delta}}$ (D) $\frac{2\Delta}{\sqrt{c^2 + \Delta}}$



6. In a triangle ABC, if $\angle A = 30^\circ$, $b = 10$ and $a = x$, then the values of x for which there are 2 possible triangles is given by

- (A) $5 < x < 10$ (B) $x < \frac{5}{2}$ (C) $\frac{5}{3} < x < 10$ (D) $\frac{5}{2} < x < 10$

7. In a triangle ABC, $BC = 5$, $\angle B = 45^\circ$, $\angle C = 60^\circ$ and AD is altitude to side BC . Assuming AD as diameter, a circle is drawn which cuts side AB and AC at P and Q respectively. The length PQ is equal to

- (A) $\frac{5\sqrt{3}}{4\sqrt{2}}$ (B) $\frac{5\sqrt{3}}{2}$ (C) $\frac{5\sqrt{3}}{2\sqrt{2}}$ (D) $\frac{5\sqrt{3}}{\sqrt{2}}$

8. Let ABCD be a cyclic quadrilateral such that $AB = 2$, $BC = 3$, $\angle B = 120^\circ$ and area of quadrilateral = $4\sqrt{3}$. Which of the following is/are correct?

- (A) The value of $(AC)^2$ is equal to 19
 (B) The sum of all possible values of product $AC \cdot BD$ is equal to 35
 (C) The sum of all possible values of $(AD)^2$ is equal to 29
 (D) The value of $(CD)^2$ can be 4

9. Two circles are passing through vertex A of triangle ABC and one of the circle touches the side BC at B and other circle touches the side BC at C . If $a = 5$ and $\angle A = 30^\circ$ then find the product of radii of two circles.

ANSWERS

4. D 5. C 6. A 7. C 8. ABCD 9. 25